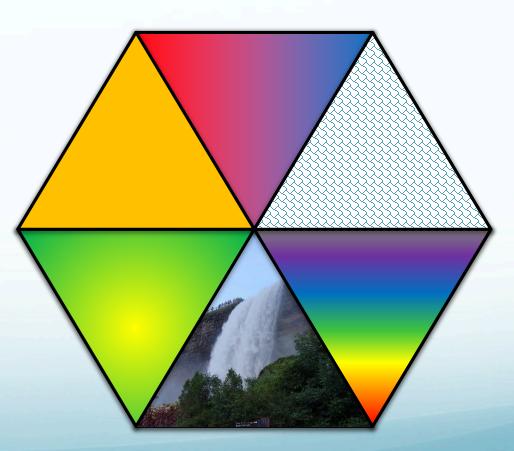
CSC 240 Computer Graphics Video 4: Flood Fill

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Portion based on slides & content courtesy Sara Mathieson

2D Fill Operation

- Replace contents of some region with new
 - Single color
 - Gradient fill
 - Linear
 - Radial
 - Multiple
 - Pattern fill
 - Image fill



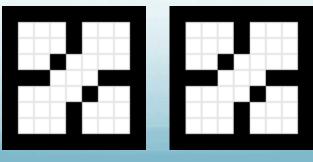
Fill Operation

Mask fill: Mask image defines fill region

- Binary mask: 0 = no fill, 1 = fill
- Alpha mask: $\alpha \in [0,1]$ specifies amount; mix colors

Seed Fill: Start with seed pixel

- Region is all connected pixels of same color
 - 4-connected: just cardinal connections
 - 8-connected: cardinals+diagonals



Images: Wikipedia

Recursion Review

Recursion Review



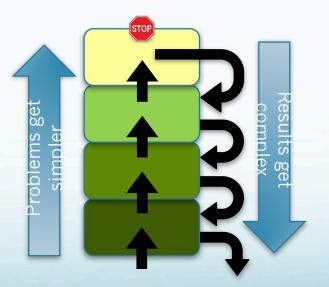
Recursion = Solving problems via simplification

- Stop condition: problem so simple the solution is obvious
- Otherwise, use the same approach on a simpler problem

Pseudocode:

if (at stop condition) then return w/solution else

find solution based on simplified recursive call endif



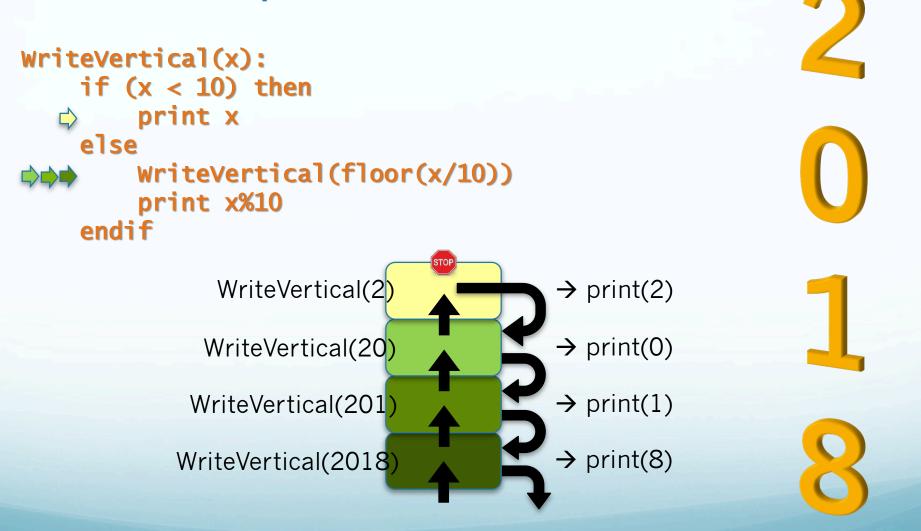
Example: WriteVertical

Given positive integer x, print out digits vertically

- Stop condition?
 (x<10) is a single digit just print it!
- Simplification?
 (x%10) is last digit make the recursive call first

```
WriteVertical(x):
    if (x < 10) then
        print x
    else
        WriteVertical(floor(x/10))
        print x%10
    endif</pre>
```

Example: WriteVertical





PAUSE NOW & ANSWER

1. What happens if you have a recursive function that doesn't have a stop condition?

It will run forever.

2. What happens if the recursive call is not made on a simplified version of the problem?

It will run forever.

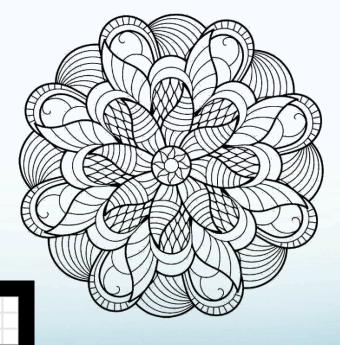
 Which is more powerful, recursion or iteration (looping)? They are equally powerful. (Anything recursion can be expressed using iteration, and vice versa.)

Recursive Flood Fill

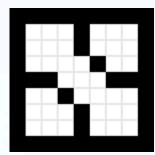
Recursive Fill

recFill(x,y,c₀): fill all color c₀ pixels connected to (x,y)

- Stop condition? $color(x,y) \neq c_0 - empty region$
- Simplification?
 ink(x,y); then try filling all neighbors: recFill(x+1,y,c₀); // east recFill(x-1,y,c₀); // west recFill(x,y+1,c₀); // south recFill(x,y-1,c₀); // north



Recursive Fill



How many recursive calls are made?

- 4 per pixel that gets colored
- Most hit stop condition and return immediately

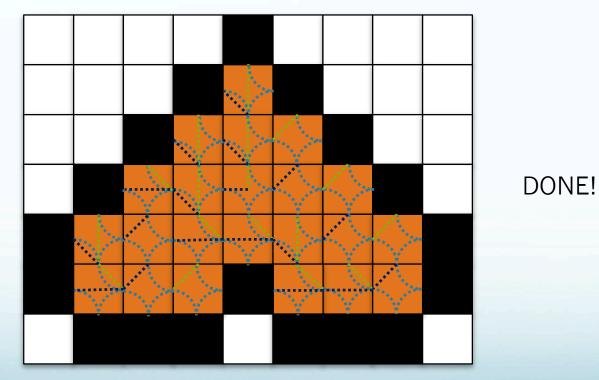
Does the order of the recursive calls matter?

- It changes the coloring order but not the final result
- Normally the order is not visible to a user

Stack overflow: too many recursive calls in a row

Recursive Fill

 In what order would this fill color the pixels below? (assume recursion is N-E-S-W)





PAUSE NOW & ANSWER

 If we change the order of the recursive calls, does it change the final result (in terms of which pixels are filled)?
 No.

- If we change the order of the recursive calls, does it change the order in which pixels are filled?
 Yes, in most cases.
- 3. Why is recursion a good way to implement the fill operation? The stored sequence of recursive calls serves to remember all the places we still have to check. If we didn't use recursion, we would need to create a data structure (stack or queue) to keep track of this.

Scanline Fill

Complex Polygons

Flood fill won't work on complex polygons.

- Disconnected interiors
- What is interior when lines overlap?

Solution: count edge crossings from exterior

- Odd # crossings = interior point
- Even # crossing = exterior point

Doesn't matter which way you draw the line!

crossing
 crossings
 crossings
 crossings

Scanline Fill

Scanline fill isn't based on drawn lines like flood fill

• Need a mathematical description: endpoints of all edge segments

 a_2

 a_1

 a_3/a_4

 a_5

 a_6

- Concept: sweep across rows, filling interior pixels only
 - First thought: count crossings for each point
 - Second thought:
 - Compute all intersections for each scanline
 - Sort them left to right
 - Fill between every other pair E.g., $a_1 \rightarrow a_2$, $a_3 \rightarrow a_4$, $a_5 \rightarrow a_6$

Scanline Algorithm

Input: Sequential vertices $(x_0, y_0), (x_1, y_1), \dots (x_n, y_n)$, where $(x_0, y_0) = (x_n, y_n)$

Goal: Fill complex polygon delineated by these vertices

Loop for y from min({y₀, ... y_n}) to max({y₀, ... y_n})
C = []
Loop for i from 0 to n-1
If edge (x_i, y_i) to (x_{i+1}, y_{i+1}) intersects scanline y at (x_c, y_c):
C.append((x_c, y_c))
Sort C by the x coordinates
Loop for j from 0 to Size(C) step by 2
Loop for x from C[j] to C[j+1]
Fill(x,y)

Scanline Details

Intersection of edges with scanlines:

• One endpoint **below** y, the other on or above y $[(y_i < y) \land (y_{i+1} \ge y)] \lor [(y_i \ge y) \land (y_{i+1} < y)]$

• Use line equation to find intersection point: $x = \frac{x_i - x_{i+1}}{y_i - y_{i+1}}y + \frac{x_{i+1}y_i - x_iy_{i+1}}{y_i - y_{i+1}}$



PAUSE NOW & ANSWER

- 1. In the recursive fill operation, the maximum recursive call depth is most closely proportional to...
 - a. The number of pixels to be filled
 - b. The number of rows to be filled
 - c. The number of columns to be filled
 - d. The number of rows times the number of columns
 - e. A constant
- In the scanline fill operation, the number of lines that must be checked for edge intersections is most closely proportional to...
 (Same set of options as above.)
 b. The number of rows to be filled

a. The number of pixels to be filled

Review

After watching this video, you should be able to...

- Define the 2D fill operation
- Determine 4-connected and 8-connected regions
- Design a recursive function with stop condition & simplification
- Implement a recursive 2D fill algorithm
- Pseudocode & simulate a scanline 2D fill algorithm
- Explain the advantages of the scanline fill.